





Higgs boson photoproduction at the LHC

G.G. Silveira

gustavo.silveira@ufrgs.br

High Energy Physics Phenomenology Group

Universidade Federal do Rio Grande do Sul Porto Alegre, Brazil

work with M. B. Gay Ducati

Outline

- Motivation
- Photoproduction approach
- Peripheral Collisions
- Photoproduction at the Tevatron and LHC
- Conclusions

Motivation

- LHC will allow to study a new kinematic region:
 - CM energy: 14 TeV \rightarrow 7x Tevatron energy
 - Luminosity: 10-100 fb⁻¹ $\rightarrow \sim$ 10x Tevatron luminosity
 - Higgs physics: low luminosity regime favorable to the Higgs boson production in diffractive processes.

Some hadron-hadron collisions will occur with <u>no</u> strong interaction.

- The Ultraperipheral Collisions (UPC) are a new way to study the Higgs boson production in hadronic collisions.
- Other processes of Higgs production are under study to allow its detection in hadron colliders.
 - ▶ DPE allows the Higgs boson production through the leading ggH vertex in the mass range $M_H \sim 115 140$ GeV.
- <u>New evidences</u>: considering the excluded mass ranges, we may explore the window mass

115 GeV $< M_H \lesssim 140$ GeV

New results from the Tevatron

Excluded range: The TEVNPH Working Group, arXiv:0911.3930[hep-ex]

 $160~{
m GeV} \lesssim M_H \lesssim 170~{
m GeV}$

• EW fits: $M_H = 116.3 \frac{+15.6}{-1.30} \text{ GeV}$

Goebel, arXiv:0905.2488[hep-ph]



Diffractive Higgs photoproduction

Proposal: γp process by **DPE** in pp collision.



• The loop is treated in **impact factor formalism** at t = 0.

Scattering amplitude

▶ Partonic process: $\gamma q \rightarrow \gamma + H + q$



The scattering amplitude is obtained by the Cutkosky Rules

$$\operatorname{Im} \mathcal{A} = \frac{1}{2} \int d(PS)_3 \ \mathcal{A}_{(left)} \ \mathcal{A}_{(right)}$$

Applying the rules

Performing the product of the two sides of the cut one gets

$$\mathcal{A}_{L}\mathcal{A}_{R} = (4\pi)^{3} \alpha_{s}^{2} \alpha \left(\sum_{q} e_{q}^{2}\right) \left(\frac{\epsilon_{\mu} \epsilon_{\nu}^{*}}{k^{6}}\right) \underbrace{\frac{V_{\sigma\eta}^{ba}}{N_{c}}}_{N_{c}} \left(t^{b} t^{a}\right) \underbrace{\frac{eikonal}{4p_{\lambda}p^{\sigma}}}_{q} \times \underbrace{2\left\{\frac{\operatorname{Tr}\left[(q-f)\gamma^{\mu}f\gamma^{\lambda}(k+f)\gamma^{\eta}f\gamma^{\nu}\right]}{l^{4}} + \frac{\operatorname{Tr}\left[(q-f)\gamma^{\lambda}(k+f-q)\gamma^{\mu}(k+f)\gamma^{\eta}f\gamma^{\nu}\right]}{l^{2}(k+l+q)^{2}}\right\}}_{\text{OTHER}}$$

For a not so heavy Higgs ($M_H \lesssim 200$ GeV), the ggH vertex reads



The amplitude in parton level

The imaginary part of the amplitude has the form

$$\frac{\mathrm{Im}\,\mathcal{A}}{s} = -\frac{4}{9} \left(\frac{M_{H}^{2}\alpha_{s}^{2}\alpha}{N_{c}v}\right) \left(\sum_{q} e_{q}^{2}\right) \left(\frac{\alpha_{s}C_{F}}{\pi}\right) \int \frac{d\mathbf{k}^{2}}{\mathbf{k}^{6}} \,\mathcal{X}(\mathbf{k}^{2},Q^{2})\,,$$

with

$$\mathcal{X}(\mathbf{k}^2, Q^2) = \int_0^1 d\tau \int_0^1 d\rho \; \frac{\mathbf{k}^2 \left[\tau^2 + (1-\tau)^2\right] \left[\rho^2 + (1-\rho)^2\right]}{Q^2 \rho (1-\rho) + \mathbf{k}^2 \tau (1-\tau)}$$

First remark: dependence on \mathbf{k}^{-6} due to the presence of the color dipole.

Computing the event rate in central rapidity

$$\frac{d\sigma}{dy_{H}d\mathbf{p}^{2}dt}\Big|_{y_{H},t=0} = \frac{1}{2} \left(\frac{\alpha_{s}^{2}\alpha M_{H}^{2}}{9\pi^{2}N_{c}v}\right)^{2} \left(\sum_{q}e_{q}^{2}\right)^{2} \left[\frac{\alpha_{s}C_{F}}{\pi}\int\frac{d\mathbf{k}^{2}}{\mathbf{k}^{6}} \mathcal{X}(\mathbf{k}^{2},Q^{2})\right]^{2}$$

▶ Quark → Proton: $\alpha_s C_F / \pi \rightarrow f_g(x, \mathbf{k}^2) = \mathcal{K} \partial_{(\ell n \mathbf{k}^2)} xg(x, \mathbf{k}^2).$

Cross section for central rapidity Gay Ducati and Silveira PRD 78 (2008) 113005

• The cross section is calculated for central rapidity $(y_H = 0)$

$$\frac{d\sigma}{dy_H dt}\Big|_{y_H,t=0} = \frac{S_{gap}^2}{2\pi B} \left(\frac{\alpha_s^2 \alpha M_H^2}{3N_c \pi_V}\right)^2 \left(\sum_q e_q^2\right)^2 \left[\int_{\mathbf{k}_0^2}^{\infty} \frac{d\mathbf{k}^2}{\mathbf{k}^6} e^{-S(\mathbf{k}^2, M_H^2)} f_g(\mathbf{x}, \mathbf{k}^2) \mathcal{X}(\mathbf{k}^2, Q^2)\right]^2$$

▶ Proton content¹: $\alpha_s C_F / \pi \rightarrow f_g(x, \mathbf{k}^2) = \mathcal{K} \partial_{(\ell n \, \mathbf{k}^2)} xg(x, \mathbf{k}^2)$

- ► Gap Survival Probability²: $S_{gap}^2 \rightarrow 3\%$ (5%) for LHC (Tevatron)
- ► Gluon radiation suppression³: Sudakov factor $S(\mathbf{k}^2, M_H^2) \sim \ell n^2 (M_H^2/4\mathbf{k}^2)$
- Cutoff k_0^2 : Necessary to avoid infrared divergencies :: $k_0^2 = 0.3 \text{ GeV}^2$.
- Electroweak vacuum expectation value: v = 246 GeV
- Gluon-proton form factor: $B = 5.5 \text{ GeV}^{-2}$

¹Khoze, Martin, Ryskin, EPJC **14** (2000) 525

²Khoze, Martin, Ryskin, EPJC **18** (2000) 167

³Forshaw, hep-ph/0508274

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Results: predictions for the γp process

- The predictions for different PDF's are close in LHC
- **Tevatron**: restricted to $M_H < 140$ GeV (reason: x > 0.01)



Higgs production in UPC

• The γp process is a subprocess in Ultraperipheral pp collisions



- Impact parameter: $|\vec{b}| > 2R \rightarrow NO$ STRONG INTERACTION!
- Only <u>EM force</u> acts in the second proton → REAL PHOTONS

Hadronic cross section

For *pp* collisions, $\sigma_{\gamma p}$ is convoluted with the photon flux

$$\sigma(pp \rightarrow p + H + p) = 2 \int_{\omega_0}^{\infty} d\omega \; \frac{dn}{d\omega} \; \sigma_{\gamma p}(\omega, M_H),$$

where the photon flux is given by

$$\frac{dn}{d\omega} = \frac{\alpha_{em}}{2\pi\omega} \left[1 + \left(1 - \frac{2\omega}{\sqrt{s}} \right)^2 \right] \left(\ell n A - \frac{11}{6} + \frac{3}{A} - \frac{3}{2A^2} + \frac{1}{3A^2} \right)$$

for protons with $A\simeq 1+(0.71~{
m GeV}^{-2})\sqrt{s}/2\omega^2$, and

$$\frac{dn}{d\omega} = \frac{2Z^2 \,\alpha_{em}}{\pi\omega} \left[h \mathcal{K}_0(h) \mathcal{K}_1(h) - \frac{h^2}{2} [\mathcal{K}_1^2(h) - \mathcal{K}_0^2(h)] \right]$$

for nuclei with $h=2R_A\omega/\gamma_L$.

> The photon virtuality can be written in terms of the ω and ${f q}_\perp$

$$Q^2 = -\omega^2/(\gamma_L^2 \beta_L^2) - q_\perp^2$$

with $\gamma_L = (1 - \beta_L^2)^{-1/2} = \sqrt{s}/2m_N$.

Results: Higgs boson in Ultraperipheral pp collisions

- Results similar to those from $\gamma\gamma$ process (0.1 fb).
- ► Gap between the predictions for LHC with distinct parametrizations.



Results: Cutoff sensitivity

- The main contribution comes from the range $k_0^2 < 30 \text{ GeV}^2$.
- Sensitivity: almost the same behavior than the direct pp process.



Results: pA collisions

- $\sigma_{pAu} \sim 100$ fb: competitive with the Pomeron-Pomeron process;
- σ_{pAu} : 8x lower than $\gamma\gamma$ process with all bosons loops⁴;
- σ_{pPb} : 50% lower than $\gamma\gamma$ process by the Higgs Effective Field Theory⁵.



⁴Levin & Miller, arXiv:0801.3593 [hep-ph]

⁵D'Enterria & Lansberg, arXiv:0909.3047 [hep-ph]

Gap Survival Probability

- The predicted cross section is lower than the direct pp process;
- The Rapidity Gap Survival Probability (GSP) is not appropriated to the γp process (3% like KMR).

Subprocess	GSP (%)	σ_{pp} (fb)
IPIP	2.3	2.7
IPIP	0.4	0.47
$\gamma\gamma$	100	0.1
γp	3.0	0.08

- We expect that the GSP could be higher than 3% for the γp process;
- The next step is compute this probability in order to perform a reliable prediction of the cross section.

Conclusions

We compute the event rate for Higgs boson production in UPC at LHC:

 $\sigma_{
m pp} \sim 0.1 \; {
m fb} \qquad \sigma_{
m pA} \sim 100 \; {
m fb}$

- This approach allows a comprehensive study in UPC (even with AA collisions, but more work);
- Low sensitivity to the input parameter: infrared region under control;
- Even predicting a lower cross section than other processes, a correct GSP can improve it, being competitive with those processes;
- The photoproduction results may be more prominent than direct *pp* results in the data from non-central events.